

Active landing gear behaviour on heavy landing

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ABSTRACT

In this paper, the active landing gear two degree of freedom mass model of the aircraft has been developed. The dynamic equations of the active landing gear has been written to study the landing behaviour of the aircraft on heavy landing condition. The dynamic response of the active landing gear developed model landing on higher sink velocity with uncertainties simulated numerically. The active landing gear system provides an effective actuation mechanism by generating the required damping force, air spring force to suppress the fuselage vibrations significantly at touch down and other disturbance occurring during landing like runway roughness. The Proportional, Integral, Derivative (PID) controller is designed to actuate the servo controller to generate active control force in the landing gear system. The active landing gear system reduces the aircraft vibration levels than the passive system and takes considerably less time to stabilize the aircraft after landing impact. Thus, the aircraft fitted with active landing gears have improved passenger safety and comfort during the landing phase. The reduction of vibration levels and shock strut forces improves the fatigue life of the aircraft fuselage structure and the components of landing gear system.

KEY WORDS: Landing, Passenger Safety.

1. INTRODUCTION

Landing is the most critical operational phase of an aircraft. Landing performance of an aircraft can be directly deteriorated by the factors such as excessive sink speed, approach speed, ground effects, undesirable wind, runway unevenness and pilot errors. When an aircraft lands, large amplitude of vibrations transmitted to the fuselage from the runway thereby causing passenger safety and comfort problems. Hence the vibrations need to be suppressed quickly. Landing gear is the critical assembly of the aircraft and the centre part of the landing gear assembly is called shock strut which plays an important role in absorbing the shocks and vibrations during landing and taxiing on runway. The aircraft, during its life time, is subjected to varying operating conditions in the air as well as ground. As landing is the most efficient critical phase amongst all the operational phases, there is a need to design the most efficient landing gears. Though the existing shock absorbers are the most efficient till date, they are not able to meet the variable damping requirements to cope with the varying operating conditions. The problems such as bad weather conditions, runway unevenness and pilot inaccuracies might arise during the aircraft operation which could lead to accidents, sometimes. In such critical scenarios, it is necessary to have the most efficient and the robust damping system which would prevent the aircraft from the potential accidents. The active suspension with robust control strategies could prove to be a solid solution for preventing the potential accidents of the aircraft during the time of landing. The passive system demerits are overcome by the development of active landing gear system. The limitation of ground loads transfer to the fuselage structure and benefits of building active system in the aircraft investigated by (Bender and Beiber, 1971; McGehee and Garden, 1979).

The advantages of decreasing landing loads and vibration levels demonstrated on different runway configurations theoretically and experimentally by (Ross and Edson, 1983; Freymann and Johnson, 1991; Freymann, 1937). The performance evaluation of active damping control for a different taxiing speeds and moving on various random roughness surfaces by (Sheperd, 1992; Catt, 1992; Haitao Wang, 2008), have shown improvement in the performances of single landing gear active system with robust PID controller than the passive system. Jian-Da Wu (2008). Experimentally tested proportional-integral-derivative (PID) controller and fuzzy controller for reducing vibration levels of a semi active vehicle suspension system using an adjustable shock absorber. Atta Oveisi (2013), presented that the PID controller is tuned with Ziegler-Nichols rules for both robustness and vibration suppression performance aspects. The present study analyzed the vibration analysis of active landing gears under heavy landing condition with uncertainties. The roughness is also associated with unpaved air field and bomb-damaged runways. Ageing of concrete runways causes the plates that settle unevenly leading to runway bumps of long wave length, gap become steps in the runway and different level of rough damage surfaces.

Feng Tyan (2009), studied shape filter method and method of sinusoidal approximation for developing one-dimensional random profiles. Jai-Hyunk (2000), studied the response of aircraft landing gear over a random runway can be modelled by a non-classically damped system subject to non-stationary random excitations. Dynamic response of cars with uncertain parameters measuring acceleration, displacement on discrete inputs and excitations by random surfaces are investigated by Jun Dai (2011).

In this study, the active landing gear system mathematical model is formulated to analyse the dynamic response of active landing gear system during landing impact.

Landing gear model formulation: The mathematical model consists of the aircraft body mass and parts of the landing gear indicated by the sprung mass m_1 and wheel components indicated by the un-sprung mass m_2 . The linear spring with stiffness k_1 and a damper with a viscous damping coefficient c_1 is denoting shock strut of the landing gear takes the load of aircraft structure. The spring of stiffness k_2 and damping coefficient c_2 denotes the tire mass comes in contact with the runway as shown in the figure 1. In the model y_1, y_2 be the vertical motion of the sprung mass and un sprung mass. y_g is the ground excitation. Assuming the model has small motions which are in the vertical directions. Springs, dampers and tire behavior are assumed linear. In this model tire damping is also considered and the ground contact is maintained. The active landing gear system components are low pressure reservoir, hydraulic pump, high pressure accumulator, servo actuator and electronic controller. The shock strut travel depends on the runway undulations and the payload of aircraft during landing. In the active landing gear system, the sensors fitted in the upper and lower side of the landing gear and obtained signal input to the PID controller. The regulation of hydraulic fluid flow in the shock strut is controlled by the electronic controller. It generates the force required to actively control the vibration level and limit the loads transferred to the airplane.

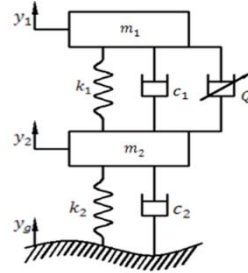


Figure.1. Vibration model of active landing gear system

By New tonics method, the dynamic equations are written as (1-4)

$$m_1 \ddot{y}_1 = -k_1(y_1 - y_2) - c_1(\dot{y}_1 - \dot{y}_2) - Q \quad (1)$$

$$m_1 \ddot{y}_1 = -F_a - F_d - Q \quad (2)$$

$$m_2 \ddot{y}_2 = k_1(y_1 - y_2) + c_1(\dot{y}_1 - \dot{y}_2) - k_2(y_2 + y_g) - c_2(\dot{y}_2 + \dot{y}_g) + Q \quad (3)$$

$$m_2 \ddot{y}_2 = F_a + F_d + F_g + Q \quad (4)$$

Where Q is the active control force from the servo actuator, the matrix representation of equation (2) & (4) becomes

$$\begin{bmatrix} m_1 & 0 \\ 0 & m_2 \end{bmatrix} \begin{Bmatrix} \ddot{y}_1 \\ \ddot{y}_2 \end{Bmatrix} = \begin{bmatrix} -F_a \\ F_a \end{bmatrix} + \begin{bmatrix} -F_d \\ F_d \end{bmatrix} - \begin{bmatrix} 0 \\ F_g \end{bmatrix} + \begin{bmatrix} -Q \\ Q \end{bmatrix} \quad (5)$$

Proportional-integral-derivative (PID) controller: PID controller is commonly applied in many industrial applications. It represents proportional, integral and derivative gains of the controller. This is simple and easy to tune for various devices. The adjustments can be done as per the usage requirements. In this article, the electronic controller is traditional PID considered and dynamics of the controller is formulated to evaluate performance of the active landing gear system.

The controller design is defined by eqn (6)

$$G_c = k_p e(t) + k_i \int_0^t e(t) + k_d \frac{de(t)}{dt} \quad (6)$$

G_c is the current input from the controller. k_p is the proportional gain, k_i and k_d is the integral and derivative gain of the PID controller. The error function in eqn (7) is the difference between the reference signal and the feedback signal measured from the sensors fitted in the landing gear.

$$\text{i. e., } e(t) = \dot{r}(t) - (\dot{y}_1 - \dot{y}_2) \quad (7)$$

The output signal of the PID controller will change in response to a change in measurement signal or reference signal. The displacement of the landing gear servo valve is written as eqn (19)

$$l_1(t) = k_p \{r(t) - [\dot{y}_1(t) - \dot{y}_2(t)]\} + k_i \{r(t) - [y_1(t) - y_2(t)]\} + k_d \{r(t) - [\ddot{y}_1(t) - \ddot{y}_2(t)]\} \quad (8)$$

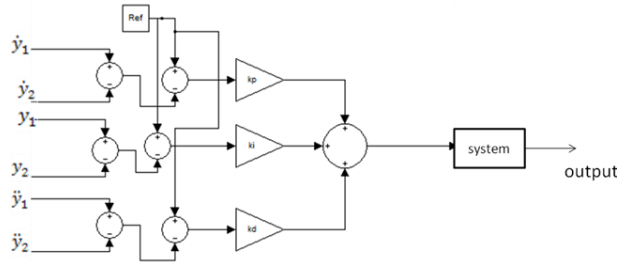


Figure.2. Simulink model of PID controller

The dynamics of PID controller is as shown in figure (2). Here the feedback coefficients k_p proportional gain, k_i an integral gain and k_d a differential gain. These are adjusted by Ziegler-Nichols tuning rules. From the body displacement curve of the landing gear, the gain margin and phase margin values are obtained. The obtained values are used to find the tuning values of the PID controller. The gains of the controller as described depend on the transient behavior of the landing gear system. The tuning process is done by Ziegler-Nichols tuning method. In this method, initially zero is set for integral and derivative gain. The k_p value raised from 0 to a critical value k_{cr} at that time the output first exhibits stable oscillations. By this critical gain k_{cr} and the corresponding period p_{cr} calculated. The tuning values of the parameters k_p, t_i and t_d is set by Ziegler-Nichols method as given in table (1).

Table.1. Zeigler –Nichols tuning values

Type of controller	k_p	k_i	k_d
P	$0.5k_{cr}$		0
PI	$0.45k_{cr}$	0.83	0
PID	$0.6k_{cr}$	$0.5p_{cr}$	$0.125p_{cr}$

The control gains $k_p = 0.584, k_i = 0.00412$ and $k_d = 0.0001$ has been tuned by the above tuning method to obtain the maximum control efficiency. The active control force Q generated by servo actuator is directly proportional to the flow output of the servo valve. The empirical formula described by eqns (9) and (10) are taken from Sharp 1988.

$$Q = k_a Q_{flow} |Q_{flow}| \tag{9}$$

The flow quantity Q_{flow} is calculated by

$$Q_{flow} = C_d w l \sqrt{\frac{|p_{accum} - p_{res}|}{\rho}} \tag{10}$$

The servo valve travel distance $l(t)$ is controlled by the PID electronic controller. Time delay is inevitable in the active control system because of the involved dynamics of servo actuators, filters and sensors, to generate active control force. In future study, the intentional time delays into the feedback loop will be investigated by compensation methods.

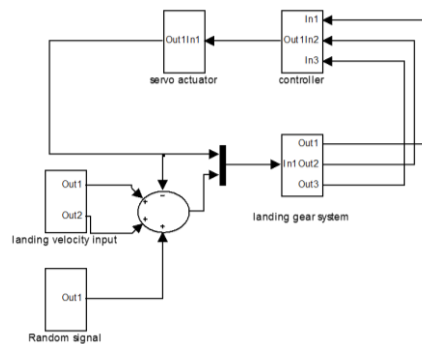


Figure.3. Simulink model of active landing gear system

Numerical simulations: The analysis presented in section 2 and 3, the acting landing gear system dynamic model has been developed in the Matlab-Simulink environment as shown in figure.3. The landing performance of active landing gear system with high sink velocity has been simulated in a Matlab-Simulink. The parameters used for numerical simulation are tabulated in Table.2.

Table.2. Aircraft Parameters for numerical simulations

Description	Symbol	Value	Units
Aircraft fuselage mass	m_1	8800	kg
Landing gear tire mass	m_2	260	kg
Landing gear shock strut stiffness	k_1	4.08e5	N/m
Landing gear tire stiffness	k_2	4.08e5	N/m

Landing gear shock strut damping coefficient	c_1	41944	N.s/m
Landing gear tire damping coefficient	c_2	37411	N.s/m

The sink velocity 3.6 m/s and runway unevenness is considered for simulating the worst landing. The landing scenario is depicted in figure.4.

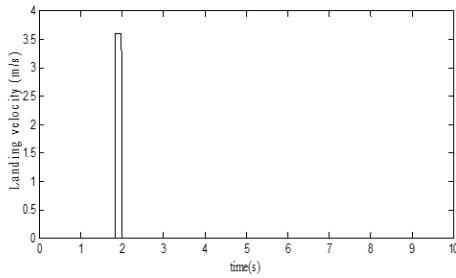


Figure.4. Input for sink velocity of 3.6 m/s

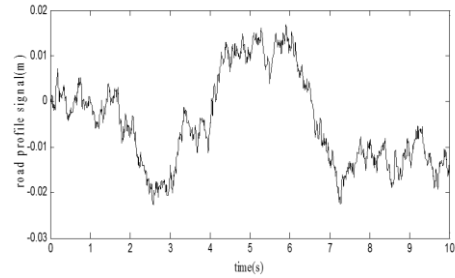


Figure.5. Random signal for grade E random runway

For the worst landing scenario, it is assumed that the aircraft lands with a sink velocity of 3.6m/s on a rough air strip. A disturbance signal is applied as an input to the landing gear in the form of Grade E random road profile. The road profile is generated in the mat lab simulink environment. The Grade E road profile is very poor roughness road and has a road roughness variance of 0.032. The velocity of the aircraft is considered as 3.6m/s and roughness coefficient $\alpha=0.127$. The generated grade E road profile is as shown in figure.5. In reality, the aircraft might exceed the regulation limits of the sink velocity during landing because of pilot inaccuracies. Moreover the strip is not always smooth because of weather conditions which may cause excessive vibrations and sometimes a crash at the time of landing.

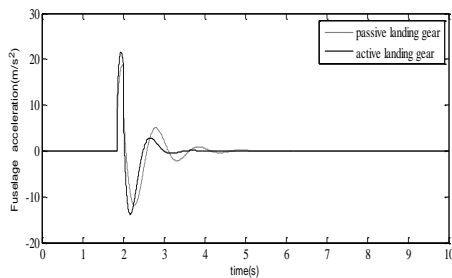


Figure.6. Fuselage acceleration response for sink velocity of 3.6m/s

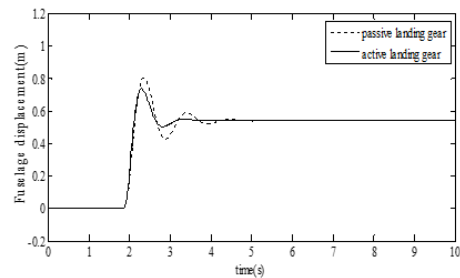


Figure.7. Fuselage displacement response for sink velocity of 3.6m/s

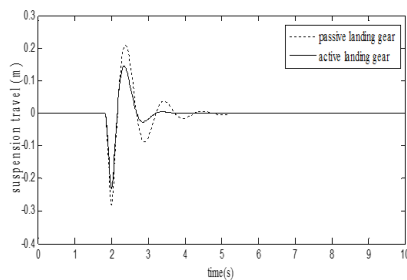


Figure.8. Suspension travel for sink velocity of 3.6m/s

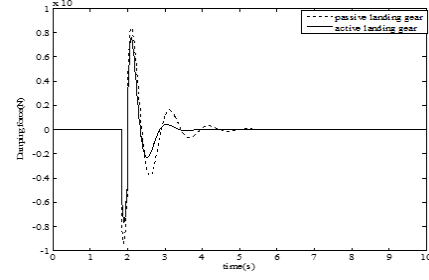


Figure.9. Damping force for sink velocity of 3.6m/s

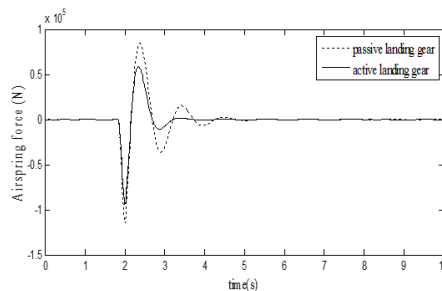


Figure.10. Airspring force for sink velocity of 3.6m/s

From figure (6), even though the peak value of active landing gear acceleration is slightly greater than passive but the settling time of active system is 2.892 s less than the passive landing gear system. The fuselage displacement of passive is 0.8071m and the active system is 0.7358m. which shows the 8.83% reduction by the active system as shown in figure (7). shock strut travel of active system is less than the passive system as shown in figure (8). Even though it is a minimum value it greatly improves the life of the aircraft structure and the landing gear

system. The air spring force developed by the passive landing gear is 84750 N and the active landing gear system is 59040 N. The damping force developed by the passive landing gear is 84350 N and the active system is 75630 N. which indicates that the shock strut force developed by the active system is less than the passive landing gear system as in figure (9) & (10). The results indicate that the effectiveness of the designed active system for the adverse landing conditions. The amplitude of peaks increased as the aircraft landed on a rough airstrip with higher landing impact. However, for the worst case landing also, the active system could damp out the vibrations getting transmitted to the fuselage effectively. Moreover, the aircraft takes considerably less time to stabilize after the initial impact.

2. CONCLUSION

The formulation of mathematical vibration model of active landing gear system has been done and numerically simulated in the MATLAB-SIMULINK for heavy landing condition. The vibration levels show that reduction in the magnitude of fuselage acceleration and displacement by the active landing gear system than the passive system during landing with the uncertainties. The aircraft takes considerably less time to stabilize after the landing impact. It is also observed that the designed system is able to suppress the fuselage vibrations significantly not only for higher sink velocities but also in case of other disturbance occurring during landing like runway roughness. Thus, the aircraft fitted with active landing gears have improved comfort level of passengers due to vibrations and safety during the landing phase. The reduction of vibration level and shock strut forces improves the fatigue life of the aircraft fuselage structure and components of the landing gear system.

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